# cpSGD: communication-efficient and differentially-private distributed SGD

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#### Distributed learning with mobile devices





Train a centralized model; data stays on mobile phones. In each iteration...

#### Server sends model to clients...



#### $\mathbf{w} \in R^d$ : the model vector

#### Clients send updates back...



n: number of clients  $\delta w_i$ : gradient of the i-th client

# Challenge I: uplink communication is expensive



• Q: quantization

### How to design the quantization?

- Convergence of SGD depends on the MSE of the estimated gradient.
- Sufficient to study:

bits vs. quantization error in distributed mean estimation.

- No compression (float): 32 bits per coordinate; 0 MSE.
- Binary quantization: 1 bit; O(d/n) MSE
- Variable length coding: O(1/n) MSE
- [Suresh et al., 17] [Alistarh et al., 17] [Wen et al., 17] [Bernstein et al., 18]

### Challenge II: user privacy is important

- Differential privacy (DP)
  - Removing or changing single client's data should not result in big difference in the estimated mean
  - Adding Gaussian noise [Abadi et al., 16]

# Goal of this paper

Both communication efficiency and differential privacy

#### Attempt 1: add Gaussian noise on the server



- DP results readily available
  - Assuming L2 norm of the gradient is bounded (gradient clipping).
- Server has to be trustworthy.

#### Attempt 2: add Gaussian noise on the client



- After quantization: no communication efficiency.
- Before quantization: hard to analyze.

#### cpSGD: add binomial noise after quantization



# cpSGD

- Maintains communication efficiency
  - Binomial is discrete.
- Differentially private
  - Binomial similar to Gaussian.
  - Extended to d-dimension with improved bound.
- Works if server is negligent but not malicious
- Works even if clients do not trust the server
  - Secure aggregation.

For d variables and  $n \approx d$  clients, cpSGD uses

- O(log log(nd)) bits of communication per client per coordinate
- Constant privacy



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