Improving the predictions of ML-corrected climate models with novelty detection

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### Why are we doing this?

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#### Western North America temperature

IPCC AR6 Atlas (CMIP6 models)

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### Why are we doing this?



Western North America temperature and for precipitation

Models have **less agreement** about future local precipitation trends compared to temperature. This matters!



# ML Goal: Improve coarse-model simulations

#### High fidelity reference

reanalysis or fine-grid (~3km) simulation



Use machine learning to make coarse model behave more like reference

#### Climate model (25-200 km)





### **Corrective approach**

- Our approach:
  - 1. Nudge coarse-resolution model towards reference dataset
  - 2. Train ML to predict nudging tendencies with input coarse-res state
  - 3. Run coarse-res model, with ML corrective tendency at each step



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### Limitations of corrective approach

- ML corrective tendencies inaccurate & unstable outside training dataset
- Simulation is an online process  $\rightarrow$  regularly produces out-of-sample data
- Thus, ML-corrected simulations crash frequently & behave erratically
  - Especially when including wind in ML corrections



### Stabilization with novelty detection

- Idea: If simulation drifts out-of-sample, disable ML correction
- Novelty detection is a branch of self-supervised learning that predicts whether a sample belongs to a distribution given draws from distribution





## **One-Class Support Vector machine (OCSVM)**

- Idea: Directly estimate support of distribution by identifying compact region that contains all samples
- Maximize distance between dataset  $\{x_1, ..., x_n\} \in \mathbb{R}^d$  and the origin under feature mapping  $\Phi: \mathbb{R}^d \to F$
- Radial basis function (RBF) kernel

 $\min_{\substack{w \in F, \boldsymbol{\xi} \in \mathbb{R}^{n}, \rho \in \mathbb{R} \\ \text{subject to}}} \frac{\frac{1}{2} ||w||^{2} + \frac{1}{\nu n} \sum_{i} \xi_{i} - \rho}{(w \cdot \Phi(\mathbf{x}_{i})) \ge \rho - \xi_{i}, \ \xi_{i} \ge 0.}$ 





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 Incorporating novelty detection with a One-Class SVM prevents runs from crashing and improves temperature and humidity predictions over simulations with and without ML correction

Time-averaged near-surface temperature biases





 Incorporating novelty detection with a One-Class SVM prevents runs from crashing and improves temperature and humidity predictions over simulations with and without ML correction

	Run	% Novelty	T(K)	SP (mm/day)	PWAT $(kg/m^2)$
1	Baseline (1)	100%	2.09	1.78	2.79
<b>2</b>	ML-corrected (2) with $g_{Tq}$	0%	1.86	1.43	3.31
3	ML-corrected with $g_{\text{Tquv}}(\star)$	0%	2.43	3.39	5.33
4	ND ML (3) with $g_{Tq}$ , $\eta_{T,OCSVM}$	2.5%	1.97	1.49	3.65
<b>5</b>	ND ML with $g_{Tquv}, \eta_{T,minmax}$	35.7%	5.15	3.57	10.14
6	ND ML with $g_{Tquv}, \eta_{T,OCSVM}$	40.0%	1.58	1.40	2.66
7	ND ML with $g_{\text{Tquv}}, \eta_{\text{Tq,OCSVM}}$	50.7%	1.53	1.24	2.37

