

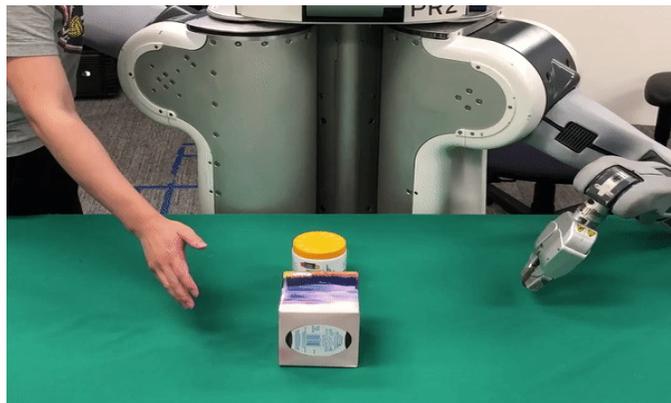


Learning from Visual Observation via Offline Pretrained State-to-Go Transformer

Bohan Zhou, Ke Li, Jiechuan Jiang, Zongqing Lu

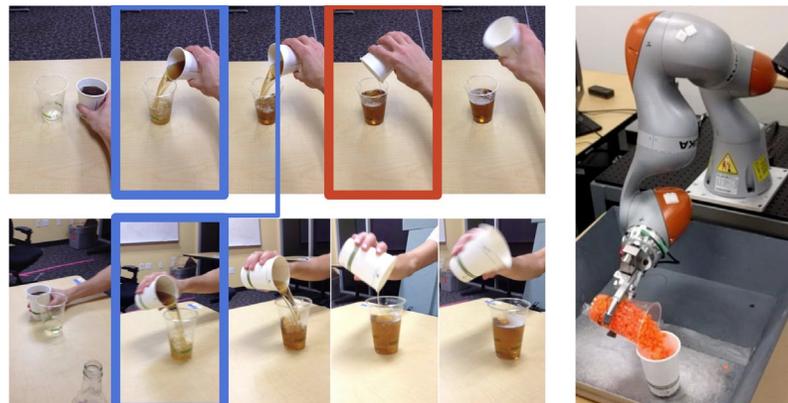
24/10/2023

Motivation



Learning from Demonstrations
(LfD)

- + Easy to learn
- Hard & expensive annotations



Learning from Visual Observations
(LfVO)

- + No actions or rewards
- + An ocean of Internet videos
- + Explore unknown expert policy
- Hard to extract useful experience

From LfD to LfVO

- ✓ Less Supervision
- ✓ Enlarging resource
- ✓ Biologically reasonable

Previous work

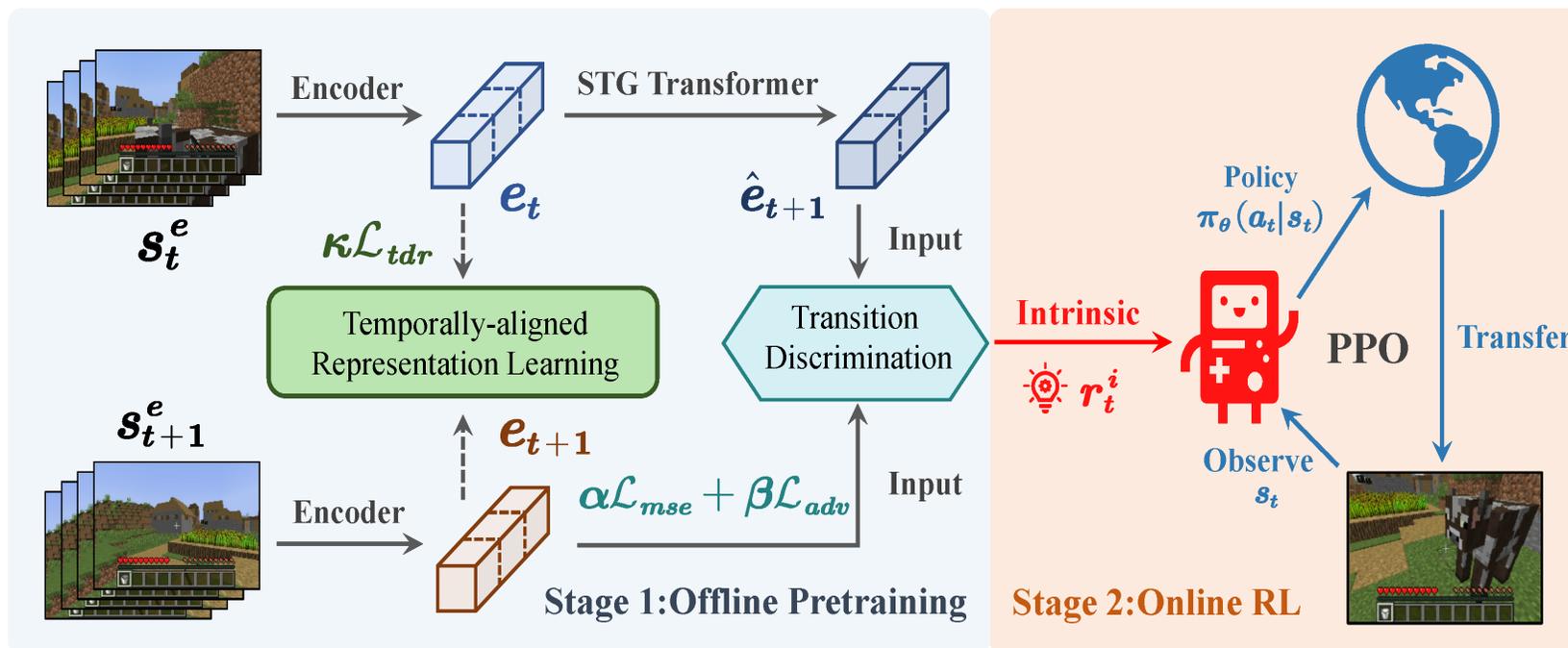


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- **IDM-based methods – extra component, compounding error**
- **Adversarial methods – sample-inefficient online learning schemes**
- **Representation-learning-based methods – over-optimistic estimation**
- **Goal-oriented methods – extra task-specific information**

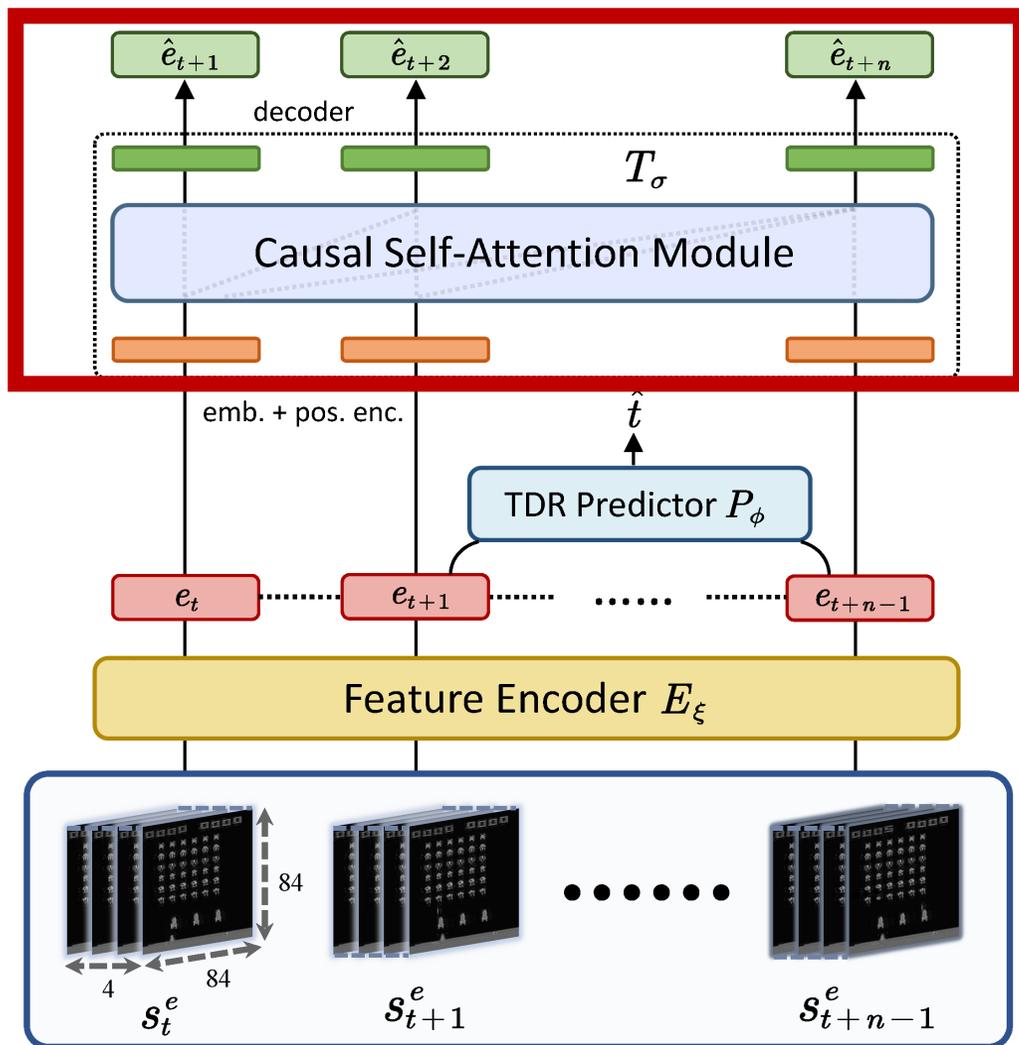
Abundant **video-only** data contain useful behavior patterns. How can we effectively leverage them to tackle downstream **reward-free** visual control tasks?

Two-stage framework



- **Pretraining stage:** we simultaneously learn a **GPT** for latent transition prediction, an expert transition **discriminator** for intrinsic rewards and a temporal distance regressor (**TDR**) for temporally-aligned representations.
- **Reinforcement learning stage:** agents **merely** learn from generated rewards from discriminator without environmental reward signals.

Offline Pretraining



1. Predicting Latent Transition

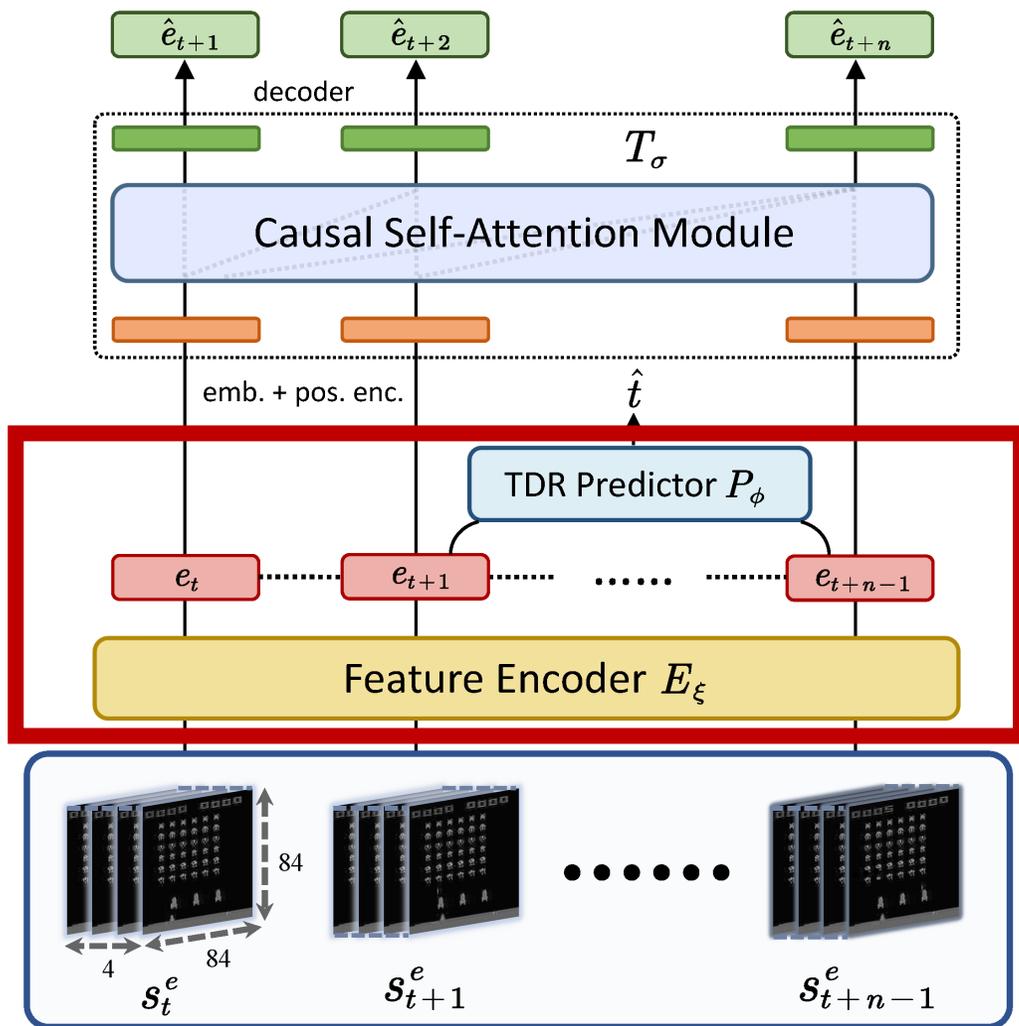
Adversarially learn transition module with L2 regularization as well as a WGAN discriminator

$$\text{for } D_\omega: \min_{w \in \mathcal{W}} \mathbb{E}_{D^e} [D_\omega(e_t, \hat{e}_{t+1}) - D_\omega(e_t, e_{t+1})]$$

$$\text{for } T_\sigma: \min_{\xi, \sigma} \mathbb{E}_{D^e} [-D_\omega(e_t, \hat{e}_{t+1}) + \|\hat{e}_{t+1} - e_{t+1}\|_2^2]$$

$$e_t = E_\xi(s_t), \quad \hat{e}_{t+1} = T_\sigma(e_t)$$

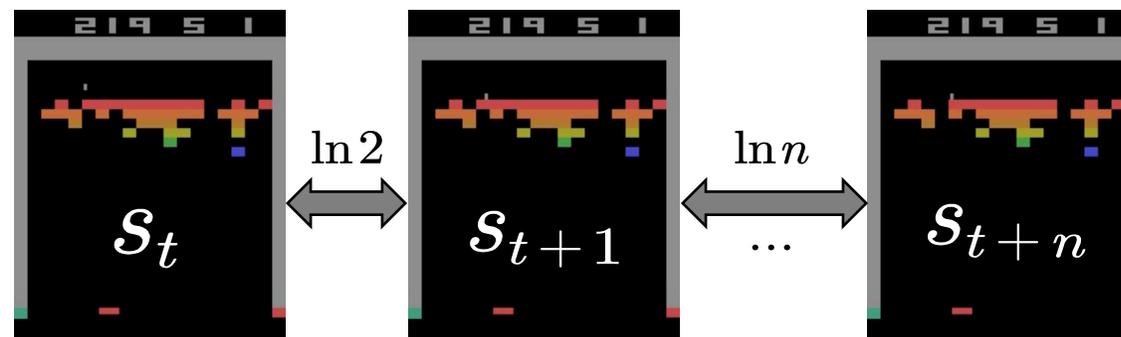
Offline Pretraining



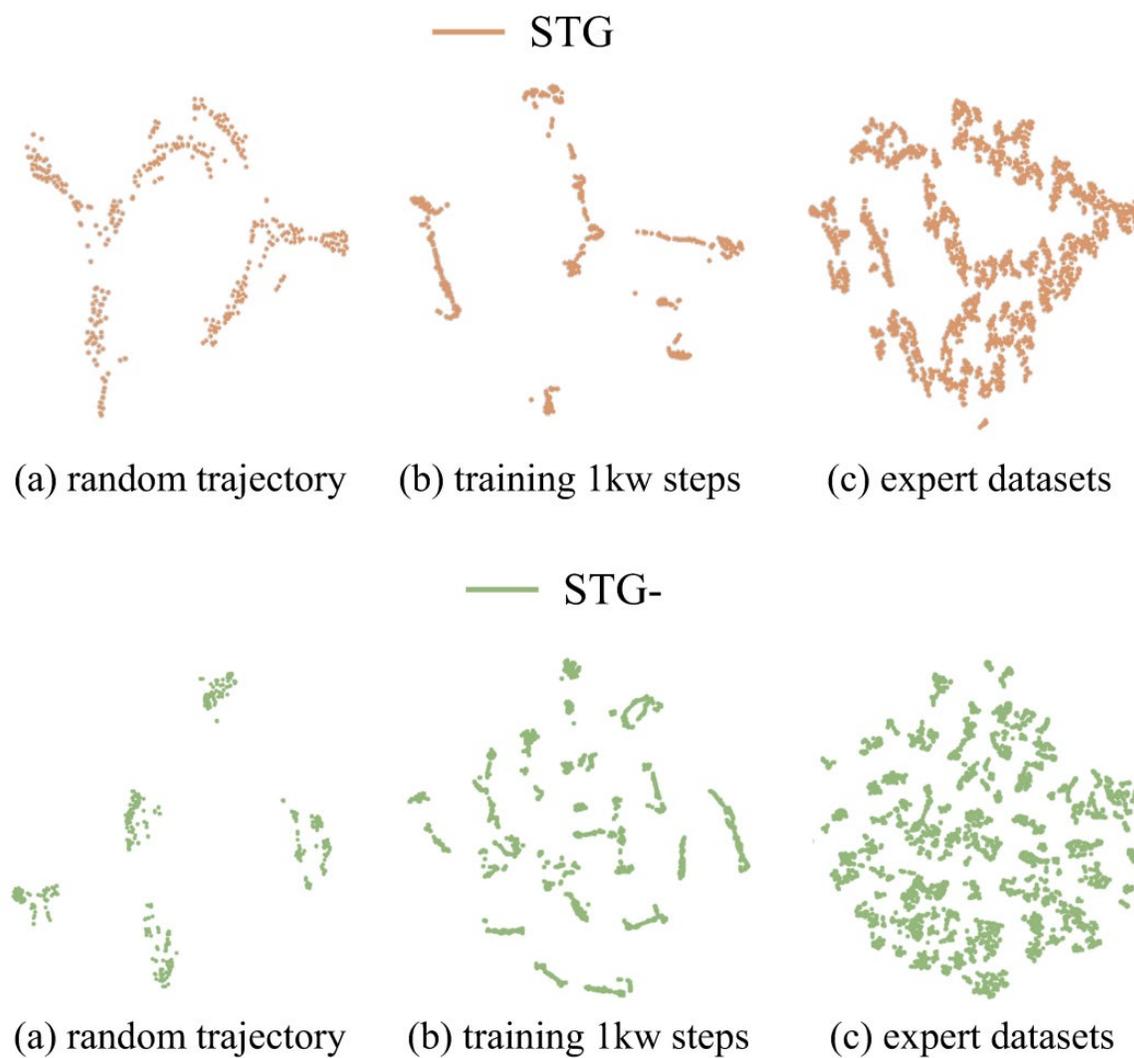
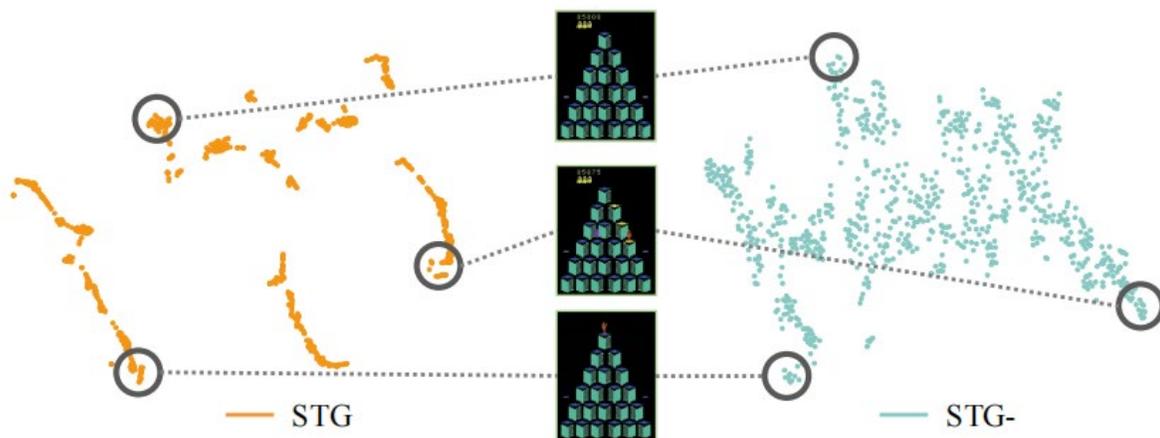
2. Learning Temporally-Aligned Representation

Apply symlog temporal distance prior in low-dimensional representation space

$$\min_{\xi, \phi} \mathbb{E}_{D^e} \| P_\phi(e_t, e_{t+j}) - \text{sign}(j) \ln(1 + |j|) \|$$



TDR Representation



Algo: STG Pretraining



Algorithm 1 STG Transformer Offline Pretraining

Input: STG Transformer T_σ , feature encoder E_ξ , discriminator D_ω , expert dataset $D^e = \{\tau^1, \tau^2, \dots, \tau^m\}$, $\tau^i = \{s_1^i, s_2^i, \dots\}$, buffer \mathcal{B} , loss weights α, β, κ .

- 1: Initialize parametric network $E_\xi, T_\sigma, D_\omega$ randomly.
- 2: **for** $e \leftarrow 0, 1, 2 \dots$ **do** ▷ epoch
- 3: Empty buffer \mathcal{B} .
- 4: **for** $b \leftarrow 0, 1, 2 \dots |\mathcal{B}|$ **do** ▷ batchsize
- 5: Stochastically sample state sequence τ^i from D^e .
- 6: Stochastically sample timestep t and n adjacent states $\{s_t^i, \dots, s_{t+n-1}^i\}$ from τ^i .
- 7: Store $\{s_t^i, \dots, s_{t+n-1}^i\}$ in \mathcal{B} .
- 8: **end for**
- 9: Update D_ω : $\omega \leftarrow \text{clip}(\omega - \epsilon \nabla_\omega \mathcal{L}_{dis}, -0.01, 0.01)$.
- 10: Update E_ξ and T_σ concurrently by minimizing total loss $\alpha \mathcal{L}_{mse} + \beta \mathcal{L}_{adv} + \kappa \mathcal{L}_{tdr}$.
- 11: **end for**

Algo: Online RL



Pretrained WGAN discriminator works as reward function:

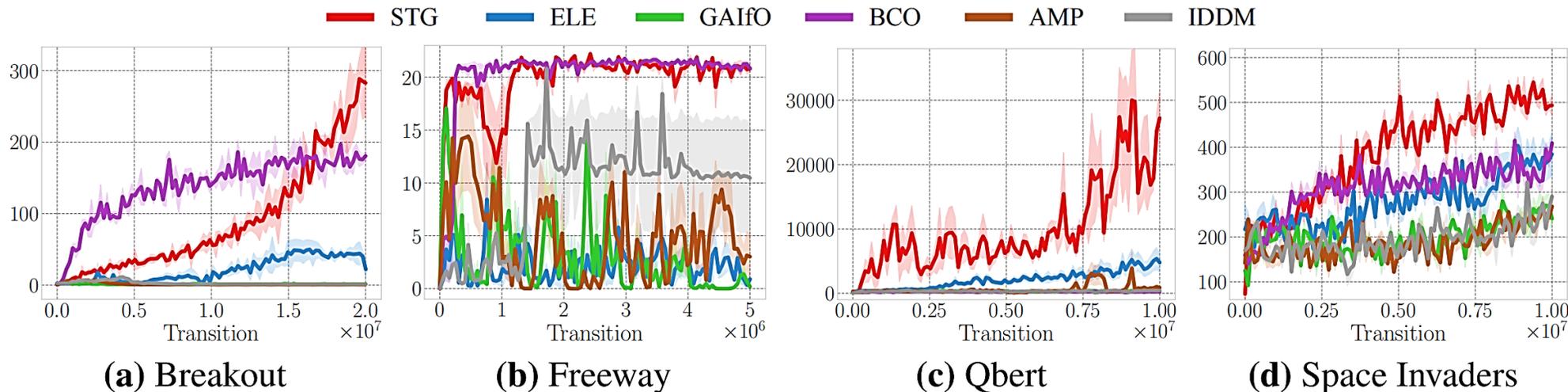
$$r_t^i = - \left[D_\omega(E_\xi(s_t), T_\sigma(E_\xi(s_t))) - D_\omega(E_\xi(s_t), E_\xi(s_{t+1})) \right]$$

Algorithm 2 Online Reinforcement Learning with Intrinsic Rewards

Input: pretrained $E_\xi, T_\sigma, D_\omega$, policy π_θ , MDP \mathcal{M} , intrinsic coefficient η .

- 1: Initialize parametric policy π_θ with random θ randomly and reset \mathcal{M} .
 - 2: **while** updating π_θ **do** ▷ policy improvement
 - 3: Execute π_θ and store the resulting n state transitions $\{(s, s')\}_t^{t+n}$.
 - 4: Use E_ξ to obtain n real latent transitions $\{(e, e')\}_t^{t+n}$.
 - 5: Use T_σ to obtain n predicted latent transitions $\{(e, \hat{e}')\}_t^{t+n}$.
 - 6: Use D_ω to calculate intrinsic rewards: $\Delta_t^{t+n} = \{D_\omega(e, \hat{e}')\}_t^{t+n} - \{D_\omega(e, e')\}_t^{t+n}$.
 - 7: Perform PPO update to improve π_θ with respect to $r^i = -\eta\Delta$.
 - 8: **end while**
-

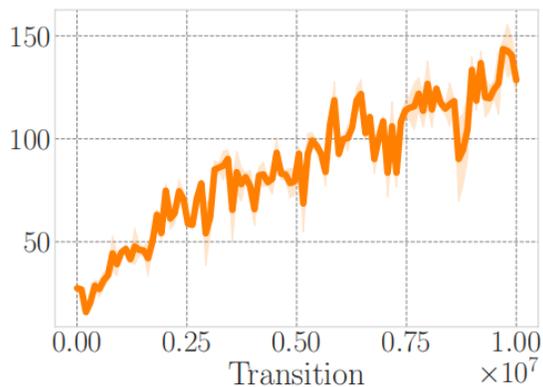
Atari Experiments



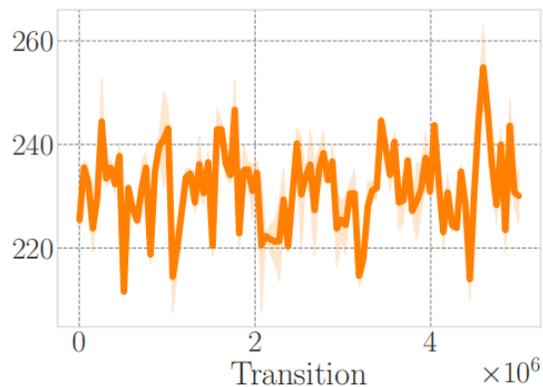
Environment	GAIfo	AMP	IDDM	ELE	BCO	STG	Expert	PPO
Breakout	1.5	0.6	1.2	22.0	180.4	288.8	212.5	274.8
Freeway	0.6	3.0	10.5	2.7	21.6	21.8	31.9	32.5
Qbert	394.4	874.9	423.3	4698.6	234.1	27234.1	15620.7	14293.3
Space Invaders	260.2	268.1	290.4	384.6	402.2	502.1	1093.9	942.5

Learning from **50** trajectories for each task, STG demonstrates **superiority among baselines** and even **surpass expert level**.

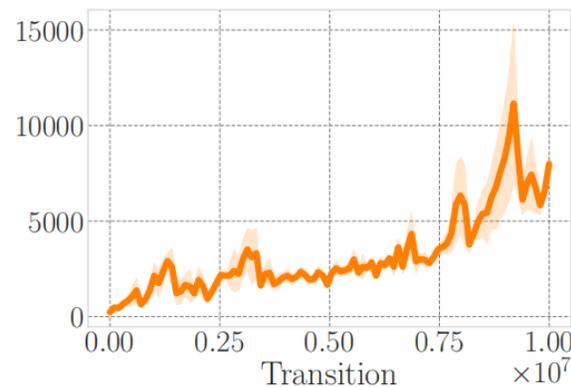
Atari Experiments



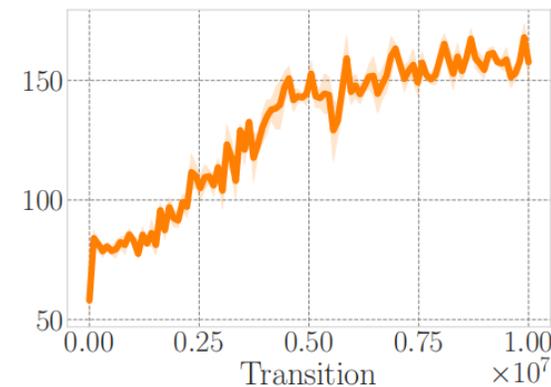
(a) Breakout



(b) Freeway



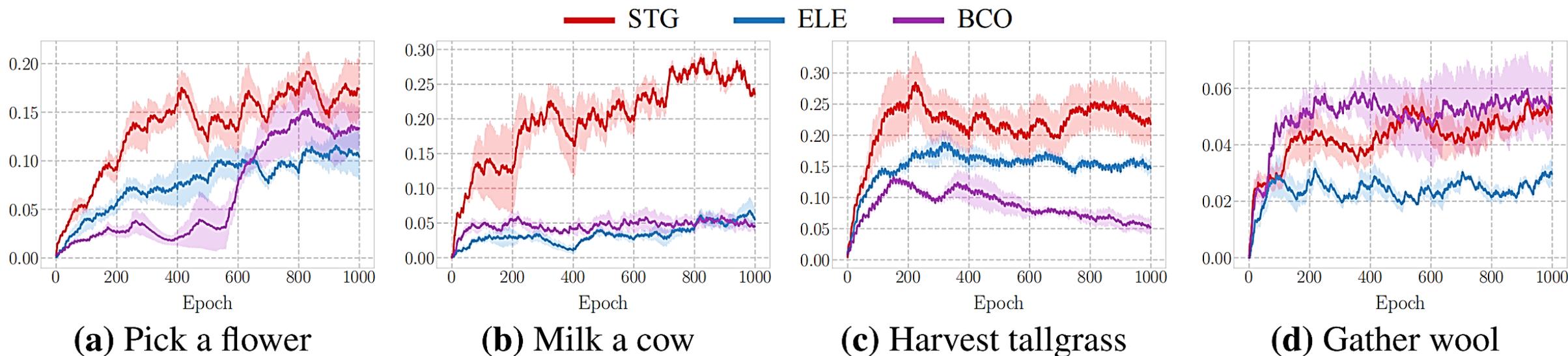
(c) Qbert



(d) Space Invaders

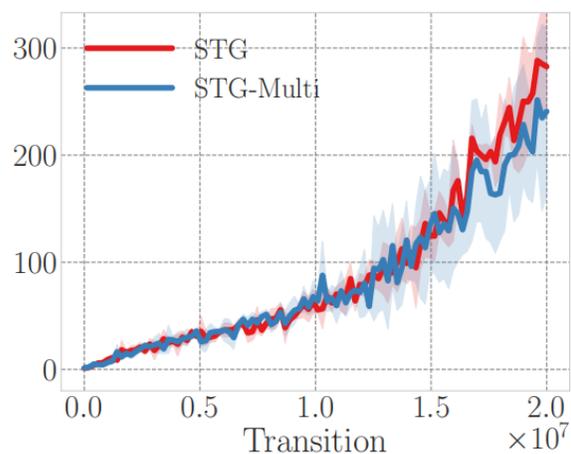
The rising trend of **intrinsic return** proves that online collected observation distribution is getting **closer** to expert observation distribution during training.

Minecraft Experiments

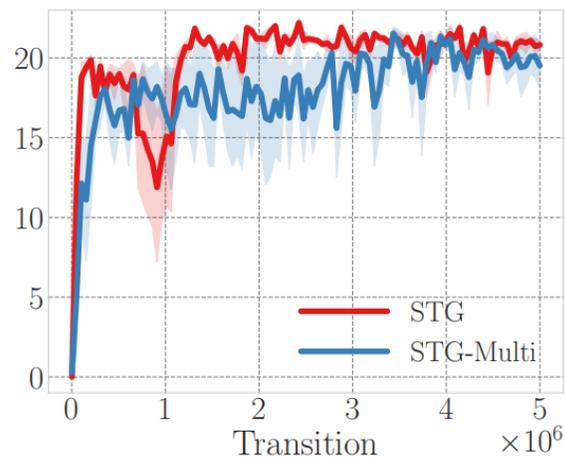


In challenging **open-ended** Minecraft tasks, shows superiority over baselines!

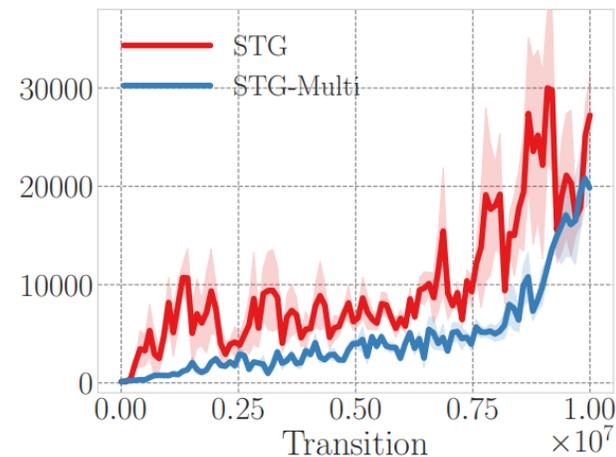
Multi-Task STG



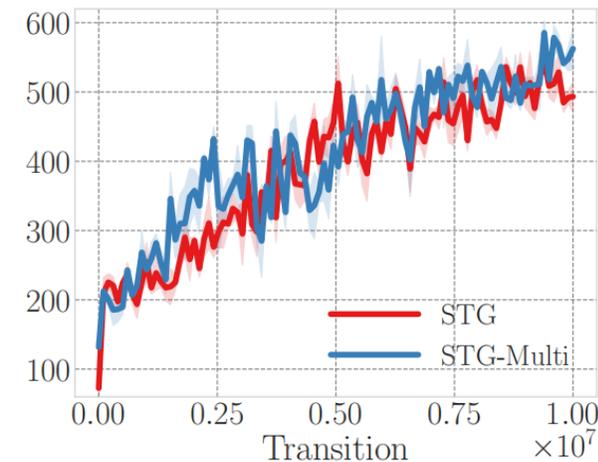
(a) Breakout



(b) Freeway



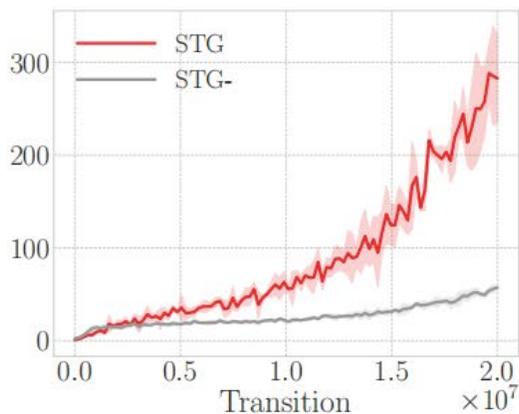
(c) Qbert



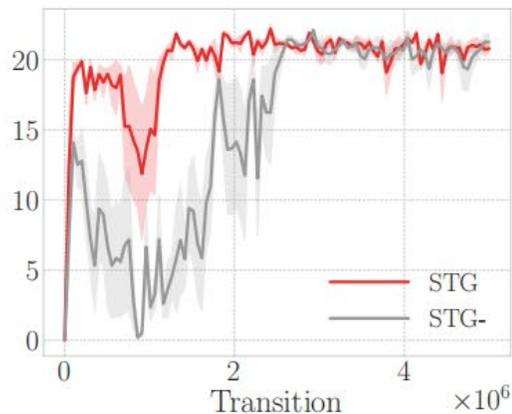
(d) Space Invaders

Pretrained on whole Atari datasets, STG-Multi shows comparable performance.

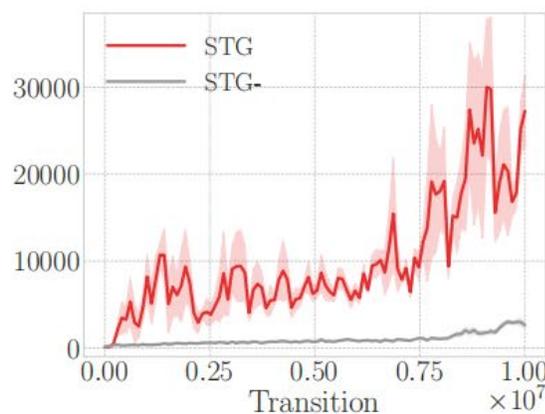
Ablation: TDR removal



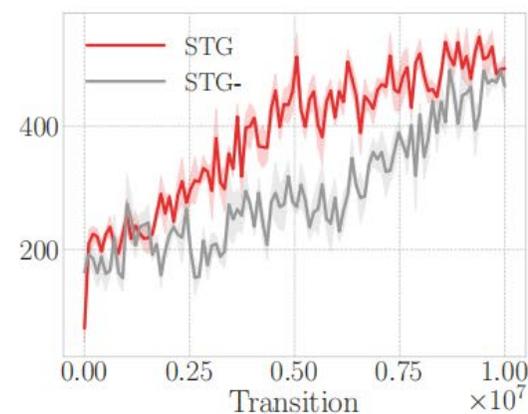
(a) Breakout



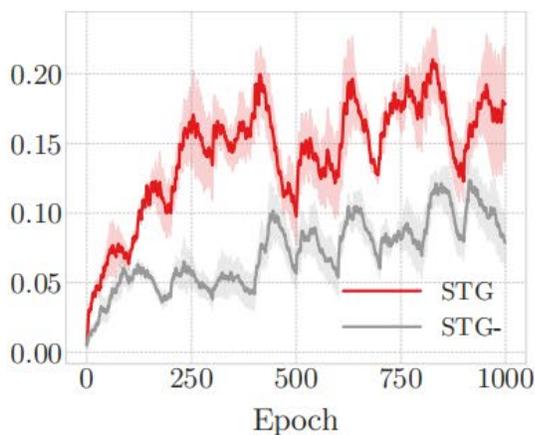
(b) Freeway



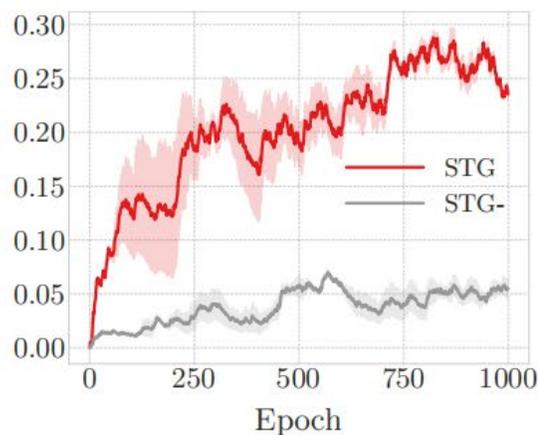
(c) Qbert



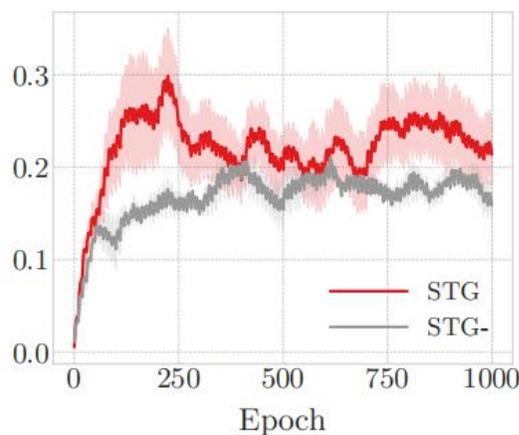
(d) Space Invaders



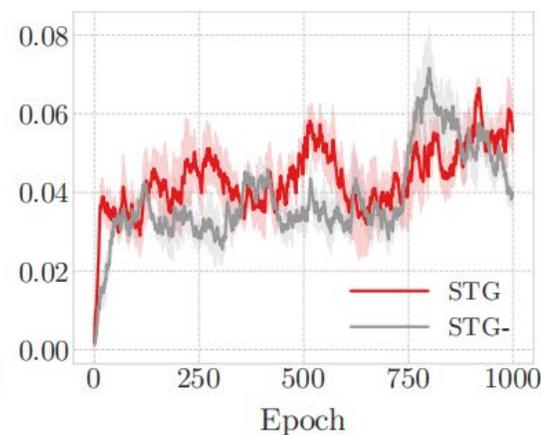
(e) Pick a flower



(f) Milk a cow



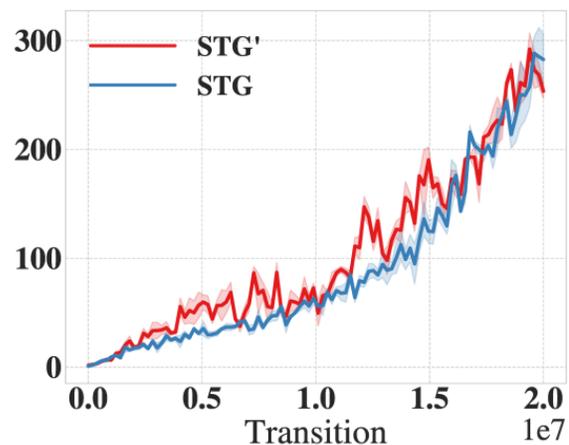
(g) Harvest tallgrass



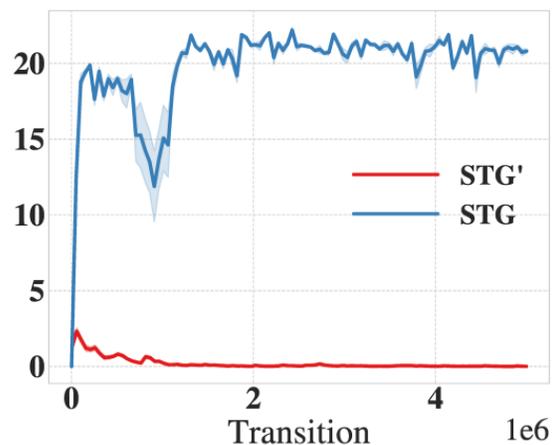
(h) Gather wool

Ablation: Reward design

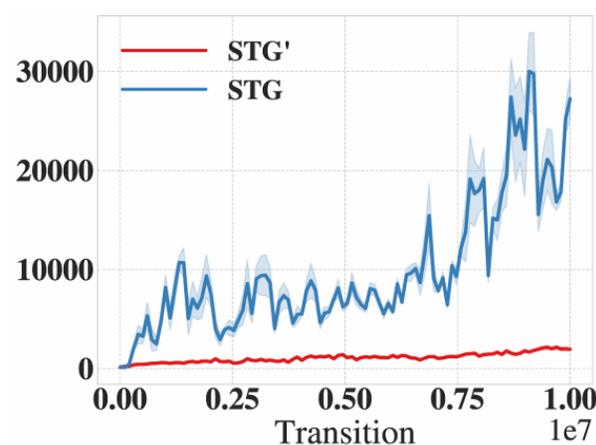
$$r_t^i = D_\omega(E_\xi(s_t), E_\xi(s_{t+1})) - D_\omega(E_\xi(s_t), T_\sigma(E_\xi(s_t))) = r_t^{guide} - r_t^{base}$$



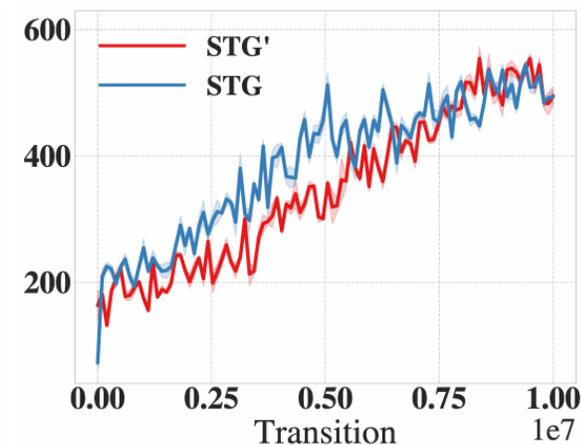
(a) Breakout



(b) Freeway



(c) Qbert



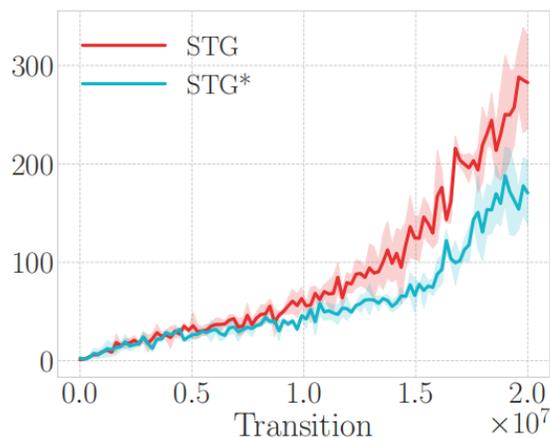
(d) Space Invaders

Figure 4: Atari experiments comparing using r^{guide} (STG') and r^i (STG) as intrinsic reward.

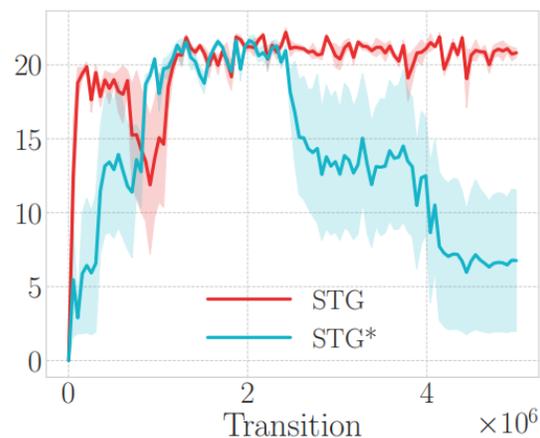
Ablation: Reward design



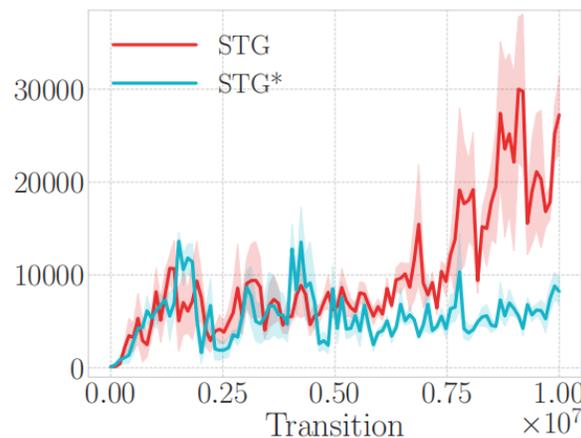
$$\begin{cases} \text{discrimination reward: } D_{\omega}(e_t, e_{t+1}) - D_{\omega}(e_t, \hat{e}_{t+1}) \\ \text{progression reward: } P_{\phi}(e_t, e_{t+k}), k=1 \end{cases}$$



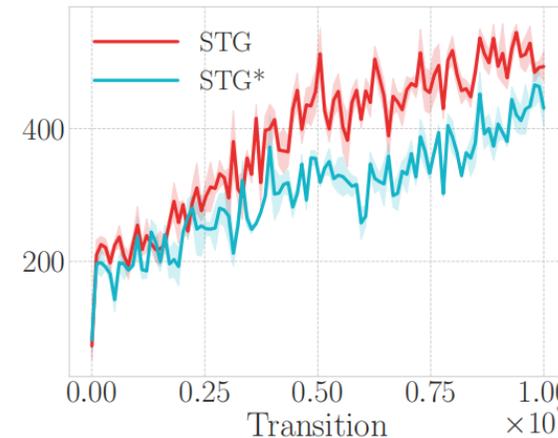
(a) Breakout



(b) Freeway



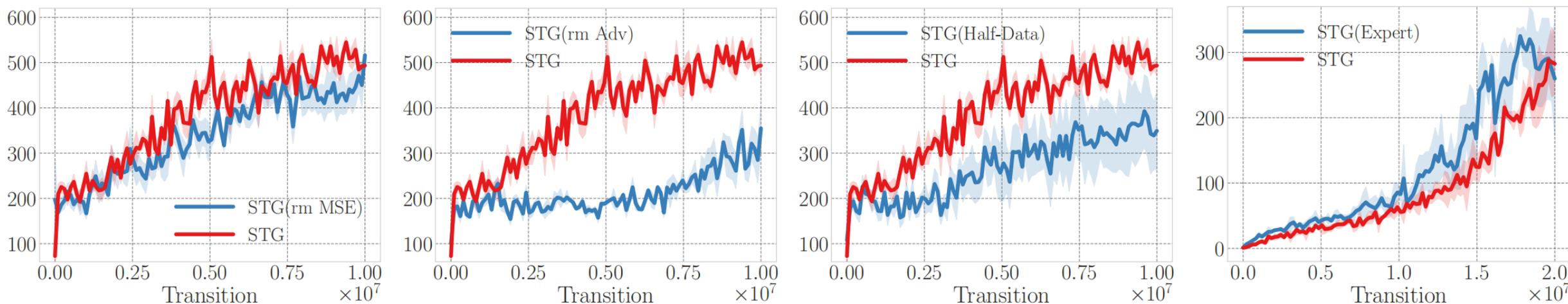
(c) Qbert



(d) Space Invaders

Figure 9: Atari experiments comparing using discriminative rewards (STG) and using both discriminative rewards and progression rewards (STG*).

Ablation : Loss and Dataset



(a) Ablate removing \mathcal{L}_{mse} (b) Ablate removing \mathcal{L}_{adv} (c) Ablate dataset size (d) Ablate dataset quality

Figure 8: Learning curves of four pre-training ablations: (a) removing \mathcal{L}_{mse} in SpaceInvaders; (b) removing \mathcal{L}_{adv} in SpaceInvaders; (c) using half dataset to train STG in SpaceInvaders; (d) using expert dataset to train STG in Breakout.

Extensions



STG offers an effective solution in situations with plentiful video demonstrations, limited environment interactions, and inaccessible labeled action or rewards.

In future work, STG is likely to benefit from:

- more powerful large-scale vision foundation models to facilitate generalization across a broader range of related tasks, domains or embodiments.
- hierarchical framework where one-step predicted rewards can be employed for training low-level policies and multi-step rewards for a high-level policy to tackle long-horizon tasks.

Q&A



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Thanks

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