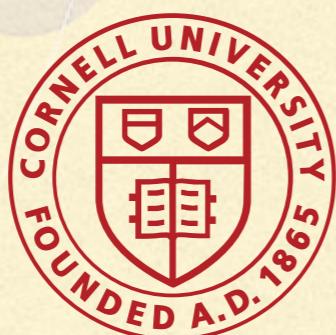


GPYTORCH: BLACKBOX MATRIX-MATRIX GAUSSIAN PROCESS INFERENCE WITH GPU ACCELERATION

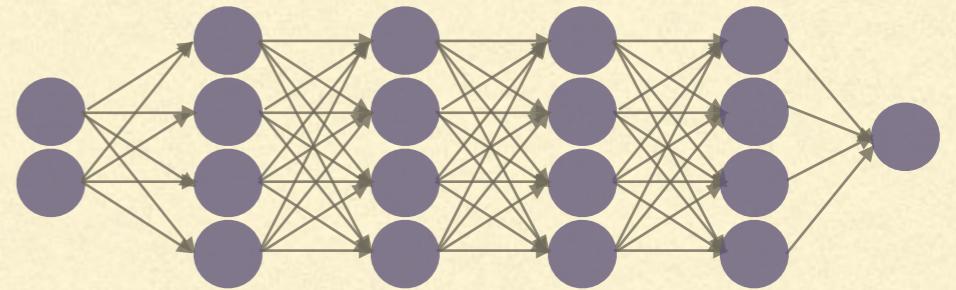
Jacob R. Gardner, **Geoff Pleiss**,

David Bindel, Kilian Q. Weinberger, Andrew Gordon Wilson

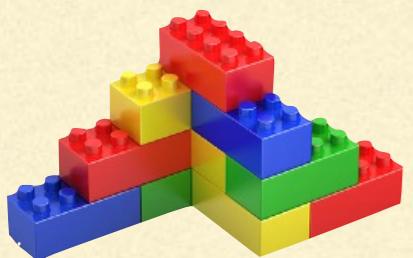


Cornell University

DEEP LEARNING & RAPID PROTOTYPING



I. GPU acceleration



2. Modular design

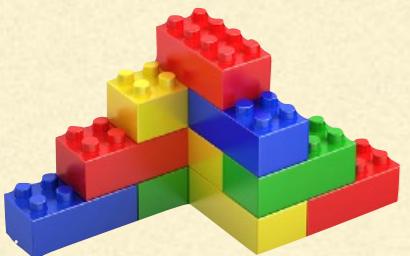


3. Open source software

DEEP LEARNING & RAPID PROTOTYPING



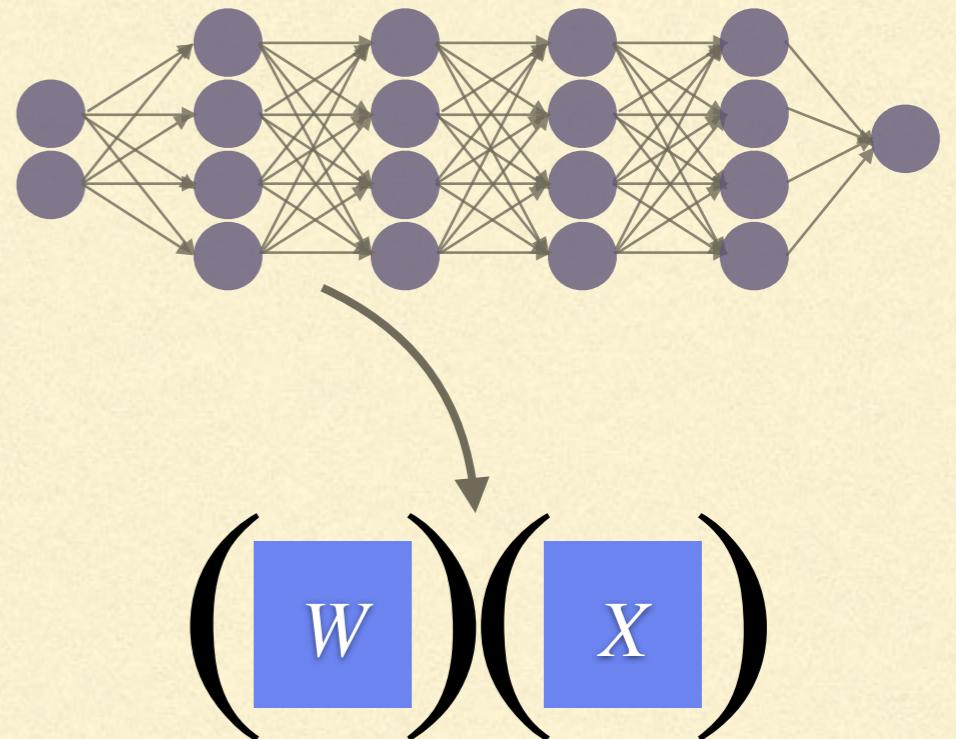
I. GPU acceleration



2. Modular design



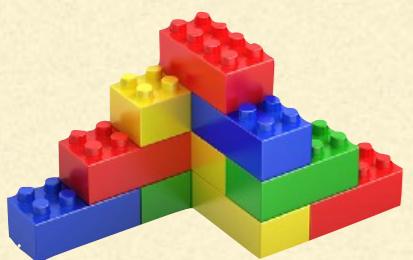
3. Open source software



DEEP LEARNING & RAPID PROTOTYPING



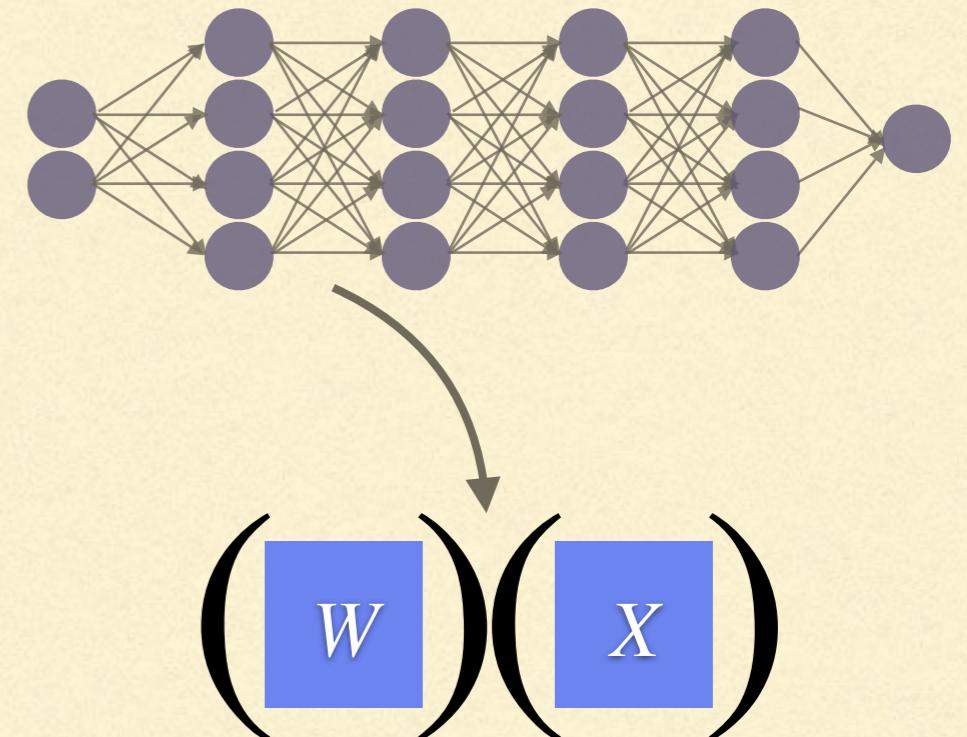
I. GPU acceleration



2. Modular design



3. Open source software

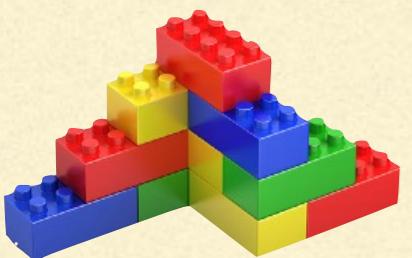


```
model.add_module(  
    nn.Linear(64, 128)  
)
```

DEEP LEARNING & RAPID PROTOTYPING



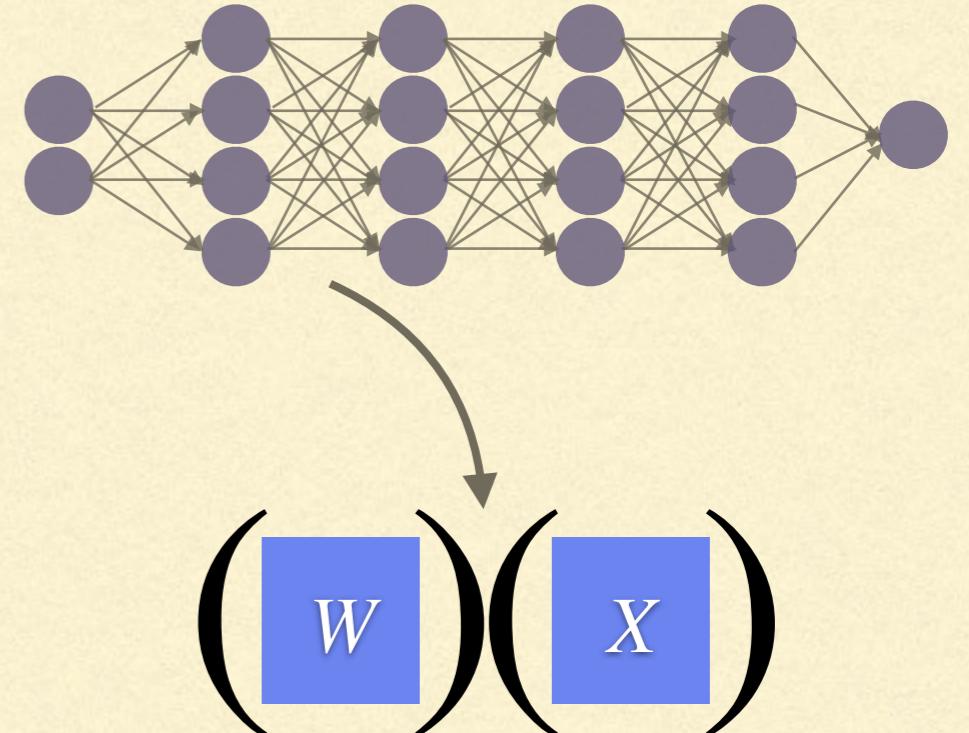
I. GPU acceleration



2. Modular design



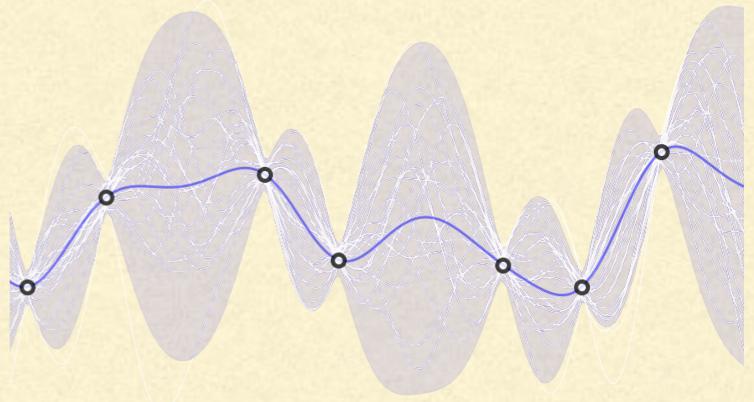
3. Open source software



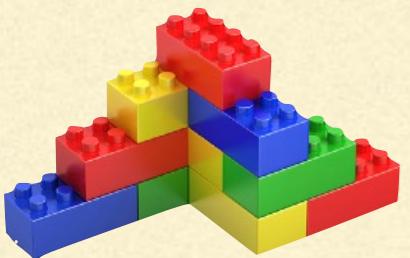
```
model.add_module(  
    nn.Linear(64, 128)  
)
```



GAUSSIAN PROCESSES (GPS) & RAPID PROTOTYPING?



I. GPU acceleration?

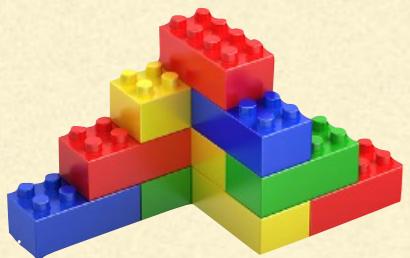


2. Modular design?

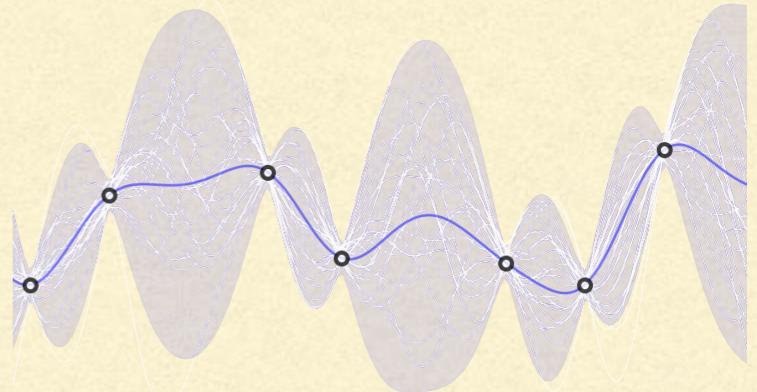
GAUSSIAN PROCESSES (GPS) & RAPID PROTOTYPING?



I. GPU acceleration?



2. Modular design?



$$\log \det(K) \quad K^{-1}y$$

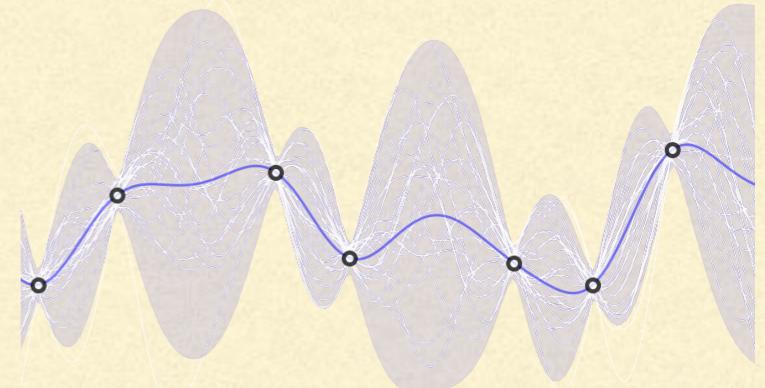
A diagram showing two mathematical expressions. The first expression is $\log \det(K)$, and the second is $K^{-1}y$. Two arrows point from the text "data covariance matrix" above to these two expressions, indicating their relationship to the Gaussian process plot.

GAUSSIAN PROCESSES (GPS) & RAPID PROTOTYPING?



I. GPU acceleration?

2. Modular design?



data covariance matrix

$$\log \det(K)$$

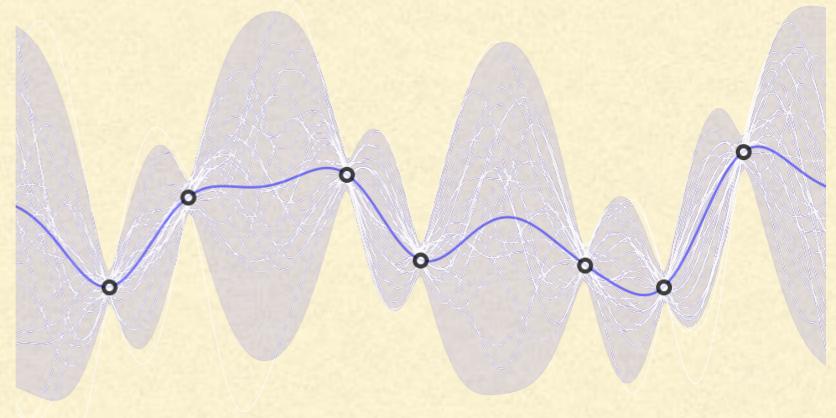
$$K^{-1}y$$

$$(K + \sigma^2 I)^{-1}$$

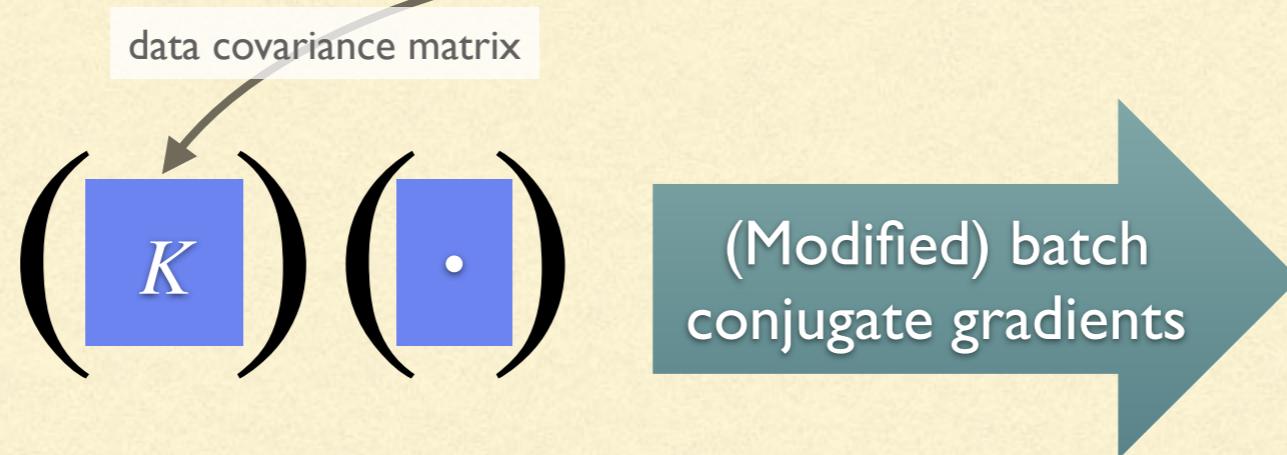
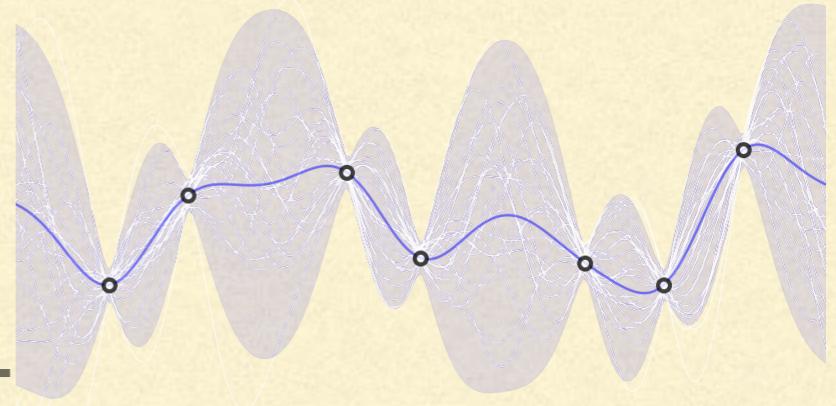


$$\sigma^{-2}I - \sigma^{-4}K_{XU}L^{-\top}(I + L^{-1}K_{XU}K_{XU}L^{-\top}\sigma^{-2})^{-1}L^{-1}K_{UX}$$

BLACKBOX MATRIX-MATRIX (BBMM) INFERENCE

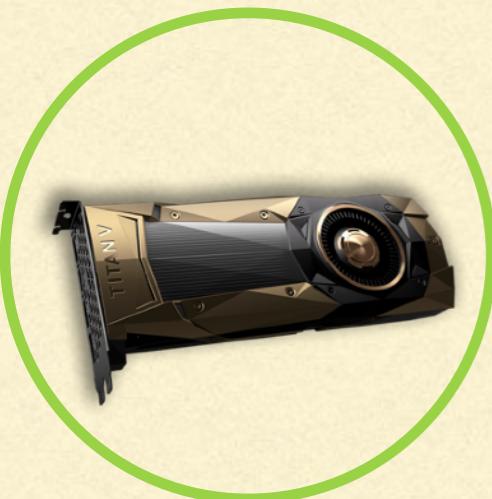
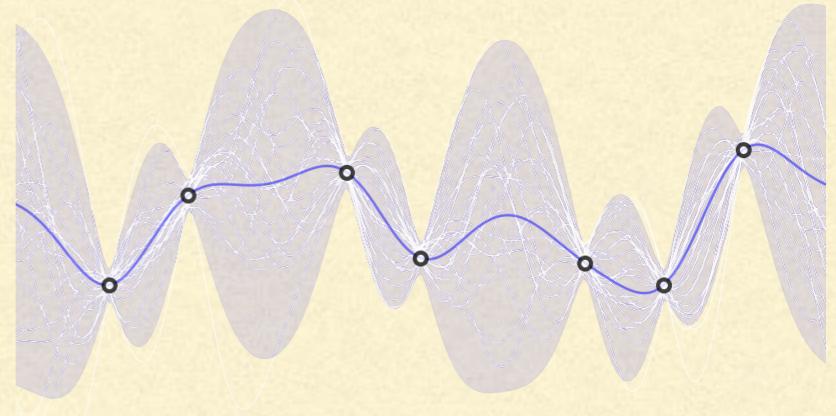


BLACKBOX MATRIX-MATRIX (BBMM) INFERENCE



$$\begin{bmatrix} \log \det(K) \\ K^{-1}y \end{bmatrix}$$

BLACKBOX MATRIX-MATRIX (BBMM) INFERENCE

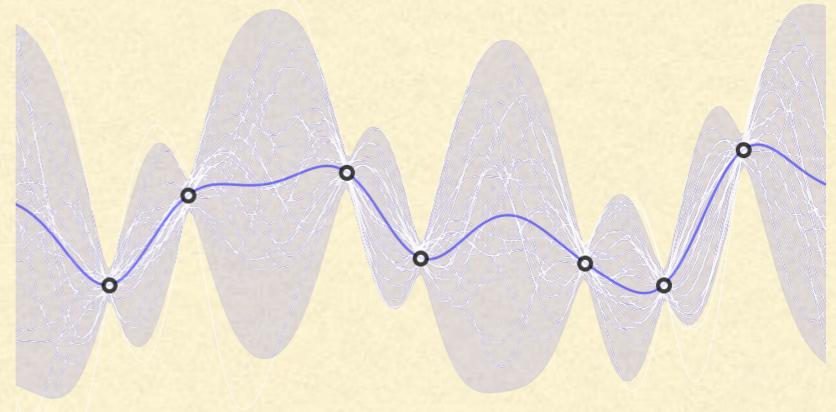


Matrix-matrix
multiplication
w/ K

(Modified) batch
conjugate gradients

$$\begin{bmatrix} \log \det(K) \\ K^{-1}y \end{bmatrix}$$

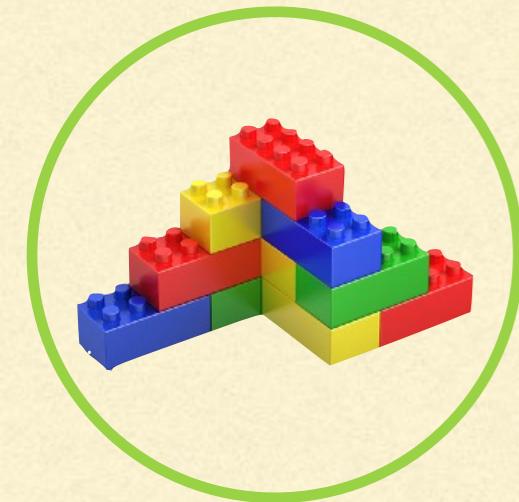
BLACKBOX MATRIX-MATRIX (BBMM) INFERENCE



Matrix-matrix multiplication w/ K

(Modified) batch conjugate gradients

$\log \det(K)$
 $K^{-1}y$



(K) (\cdot)

Std. GP

$(I - K)$ (\cdot)

Scalable GP

$(K \otimes K)$ (\cdot)

Multi-output GP

$\Theta(n^3)$ $\Theta(n^2)$

GPYTORCH

A BBMM LIBRARY

GPyTorch



GPYTORCH

A BBMM LIBRARY

GPyTorch



BBMM (Modified CG)

In []: `train()`

Standard (Cholesky)

In []: `train()`

GPYTORCH

A BBMM LIBRARY

GPyTorch



BBMM (Modified CG)

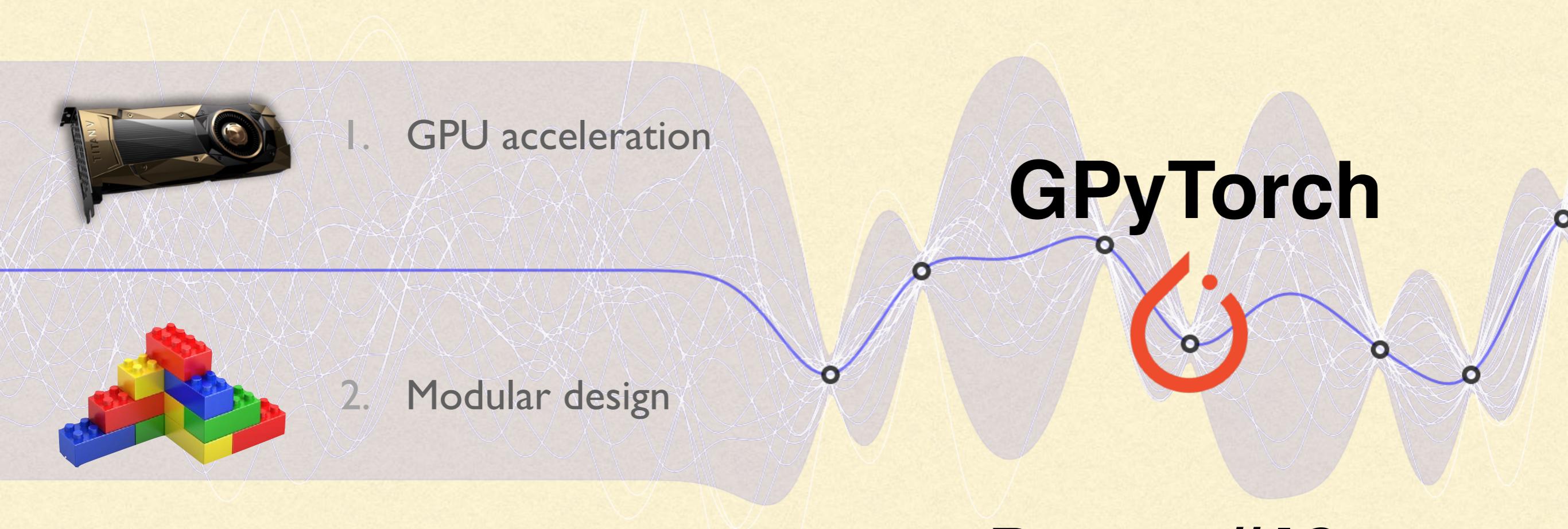
In []: `train()`

Standard (Cholesky)

In []: `train()`



GPS WITH BBMM INFERENCE



3. Open source

Poster #13



<http://gpytorch.ai>